

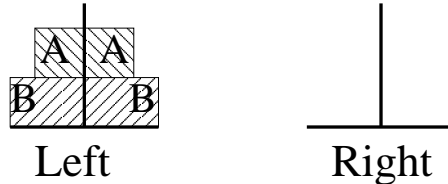
Exercise 1.

(6=2+4 points)

Consider a Towers-of-Hanoi problem with only two discs A and B , and two pegs $Left$ and $Right$. The facts are $clear(A)$, $clear(B)$, $clear(Left)$, $clear(Right)$, $on(A, B)$, $on(A, Left)$, $on(A, Right)$, $on(B, Left)$, and $on(B, Right)$. The initial state is $I = \{clear(A), on(A, B), on(B, Left), clear(Right)\}$. The goal state is $G = \{on(A, B), on(B, Right)\}$. The actions take the form $move(x, from, to) =$

$$(\{clear(x), on(x, from), clear(to)\}, \{on(x, to), clear(from)\}, \{on(x, from), clear(to)\}).$$

The “smaller(x,from)” and “smaller(x,to)” constraints are encoded in the action set, i.e., we have (only) the actions $move(A, B, Left)$, $move(A, B, Right)$, $move(A, Left, B)$, $move(A, Left, Right)$, $move(A, Right, B)$, $move(A, Right, Left)$, $move(B, Left, Right)$, and $move(B, Right, Left)$. Illustration:



1. Build a 1-planning graph for this task, i.e., write up the sets F_t and A_t until the algorithm (“The k -Subsets Relaxation”, slide 34) terminates. Leave out the NOOP actions. You may use F_t in the write-up of F_{t+1} , and A_t in the write-up of A_{t+1} . What is the value of $PG^1(G)$?
2. Build a 2-planning graph for this task, i.e., write up the sets F_t , EF_t , A_t , and EA_t until the algorithm (“The k -Subsets Relaxation”, slide 37) terminates. *Include* the NOOP actions. You may use F_t in the write-up of F_{t+1} , EF_t in the write-up of EF_{t+1} , A_t in the write-up of A_{t+1} , and EA_t in the write-up of EA_{t+1} . What is the value of $PG^2(G)$?

Exercise 2.

(4=1.5+2.5 points)

Using the basic bitvectors as per (“The k -Subsets Relaxation”, slide 47, give a bitvector expression that evaluates to TRUE iff:

1. a and a' have mutex preconditions at layer t (see “The k -Subsets Relaxation”, slide 48)
2. p and p' are mutex at layer $t + 1$ (see “The k -Subsets Relaxation”, slide 49)